

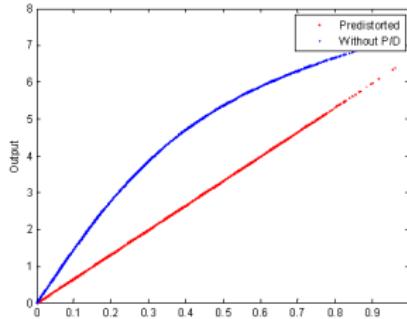
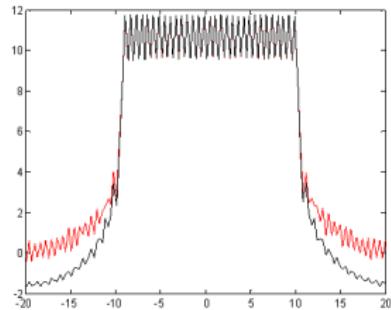
Linearization of power amplifier

Tomas GOTTHANS

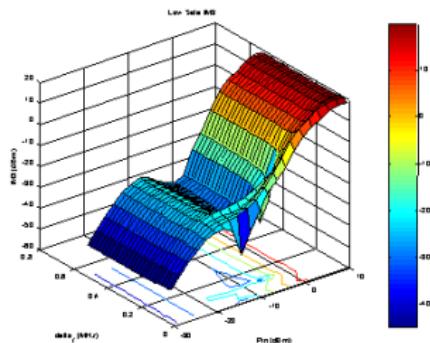
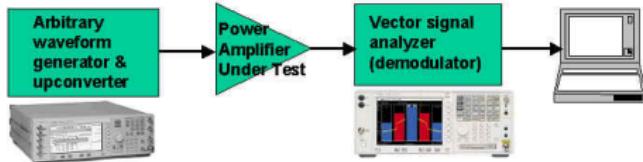
7. 6. 2012

Motivation

Linearity vs. Power Efficiency

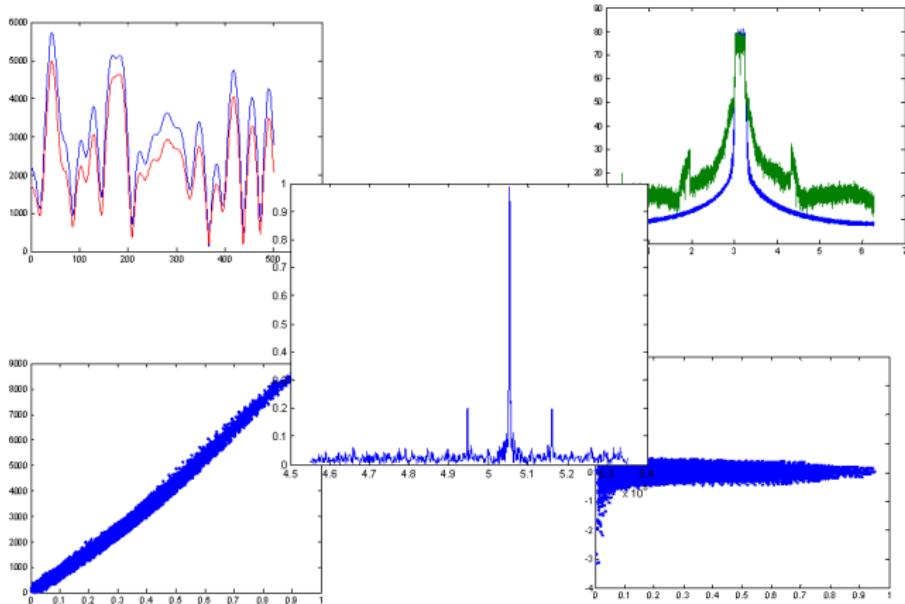


Measure real PA



Measure real PA - synchronization

Automatic phase synchronization of two signals



Techniques For Analysing And Modelling Non-linear Systems

Volterra series

$$y(t) = k_0 + \sum_{n=1}^{\infty} \int_{-\infty}^{\infty} \cdots \int_{-\infty}^{\infty} k_n(t_1, t_2, \dots, t_n) x(t - t_2) \cdots x(t - t_n) dt_1 dt_2 \cdots dt_n, \quad (1)$$

where k_n is called the Volterra series kernel and can be regarded as a higher-order impulse response of the system.

Polynomial series with memory

$$y(t) = \sum_{k=1}^K \sum_{q=0}^Q a_{kq} x(t-q) |x(t-q)|^{k-1}. \quad (2)$$

Despite the simplicity of the definition the stability and condition when performing the inversion of the generating matrix, the method is not very stable due the ill-conditioned matrix.

Orthogonal polynomial series with memory

To increase the stability of matrix, when performing Moore-Penrose pseudo-inverse, orthogonal polynomials can be used.

$$a_i = 2^{1-i} \binom{i}{\frac{i-1}{2}} \tilde{a}_i, \quad (3)$$

$$y(t) = \sum_{k=1}^K \sum_{q=0}^Q a_{kq} x(t-q) |x(t-q)|^{k-1}. \quad (4)$$

Dynamic Deviation Reduction (DDR)

$$y(t) = \sum_{k=0}^{\frac{K-1}{2}} \sum_{i=1}^Q g_{2k+1,1}(i) |x(n-i)|^{2k} x(n-i) + \sum_{k=1}^{\frac{K-1}{2}} \sum_{i=1}^Q g_{2k+1,2}(i) |x(n-i)|^{2(k-1)} x^*(n-i). \quad (5)$$

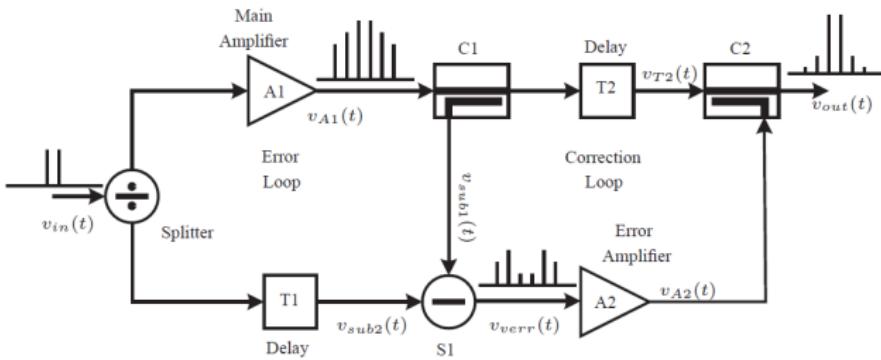
For second-order the model is rewritten as

$$\begin{aligned} y(t) &= \sum_{k=0}^{\frac{K-1}{2}} \sum_{i=1}^Q g_{2k+1,1}(i) |x(n-i)|^{2k} x(n-i) \\ &+ \sum_{k=1}^{\frac{K-1}{2}} \sum_{i=1}^Q g_{2k+1,2}(i) |x(n-i)|^{2(k-1)} x^2(n) x^*(n-i) \\ &+ \sum_{k=1}^{\frac{K-1}{2}} \sum_{i_1=1}^Q \sum_{i_2=1}^Q g_{2k+1,3}(i_1, i_2) |x(n-i)|^{2(k-1)} x^*(n) x(n-i_1) x(n-i_2) \\ &+ \sum_{k=1}^{\frac{K-1}{2}} \sum_{i_1=1}^Q \sum_{i_2=1}^Q g_{2k+1,4}(i_1, i_2) |x(n-i)|^{2(k-1)} x(n) x^*(n-i_1) x(n-i_2) \\ &+ \sum_{k=1}^{\frac{K-1}{2}} \sum_{i_1=1}^Q \sum_{i_2=1}^Q g_{2k+1,5}(i_1, i_2) |x(n-i)|^{2(k-2)} x^3(n) x^*(n-i_1) x^*(n-i_2). \end{aligned} \quad (6)$$

And then simplified

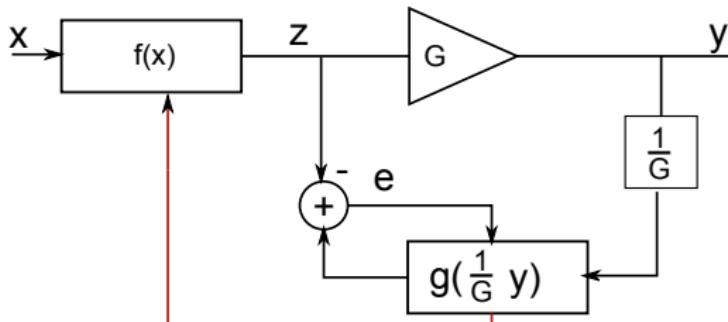
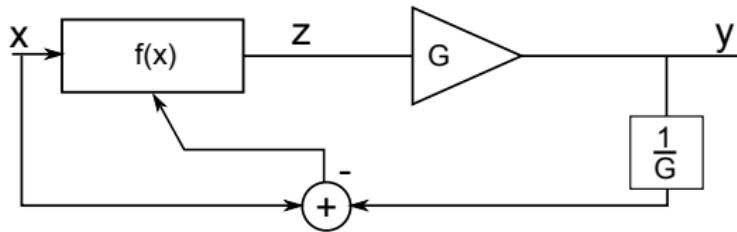
$$\begin{aligned} y(t) &= \sum_{k=0}^{\frac{K-1}{2}} \sum_{i=0}^Q g_{2k+1,1}(i) |x(n)|^{2k} x(n-i) \\ &+ \sum_{k=1}^{\frac{K-1}{2}} \sum_{i=1}^Q g_{2k+1,2}(i) |x(n)|^{2(k-1)} x^2(n) x^*(n-i) \\ &+ \sum_{k=1}^{\frac{K-1}{2}} \sum_{i=1}^Q g_{2k+1,3}(i) |x(n)|^{2(k-1)} x(n) |x(n-i)|^2 \\ &+ \sum_{k=1}^{\frac{K-1}{2}} \sum_{i=1}^Q g_{2k+1,4}(i) |x(n)|^{2(k-1)} x^*(n) x^2(n-i). \end{aligned} \quad (7)$$

Feedforward techniques



- Matching delay lines, amplifier gains not trivial.
- Susceptible to drift and ageing.
- Low-loss delay lines, summations critical.

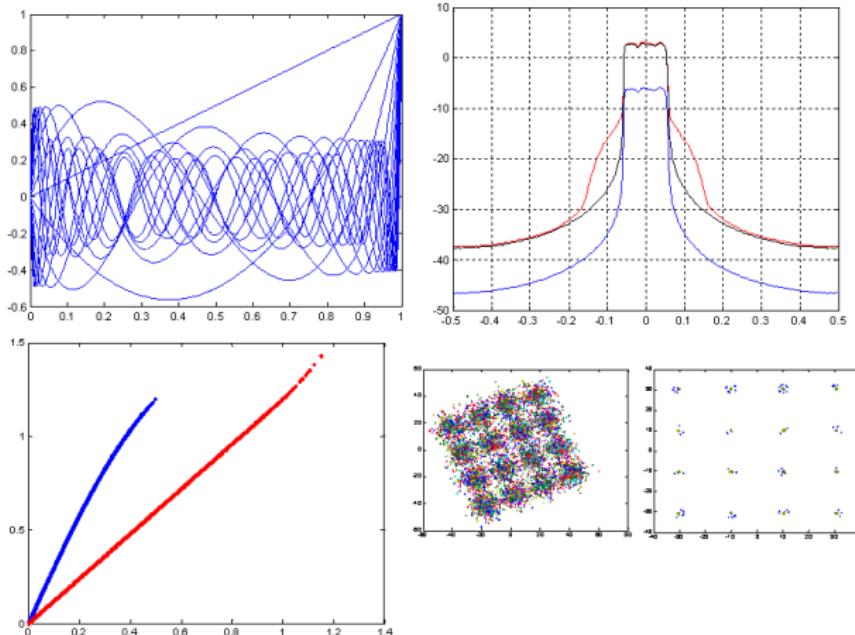
Feedback adaptation of predistortion



Results for different methods I

Orthogonal Polynomial

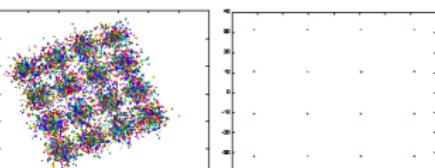
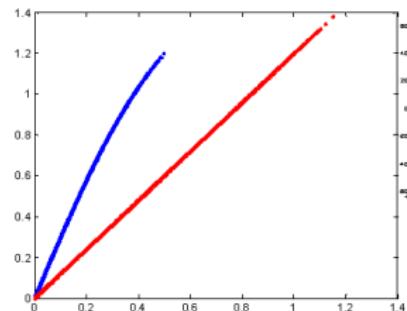
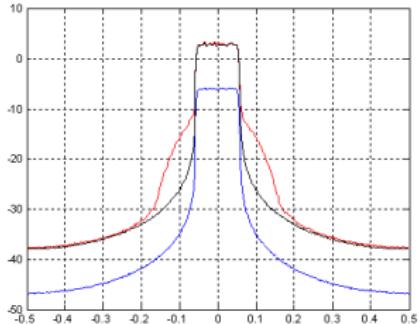
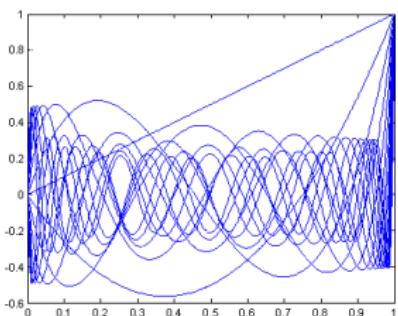
Polynomial level = 7, OFDM (64 carriers, 2400 Data bits, 16QAM), Saleh PA



Results for different methods II

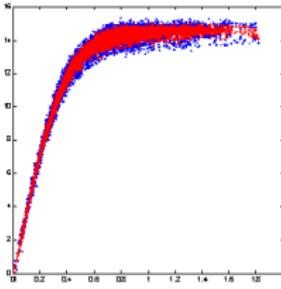
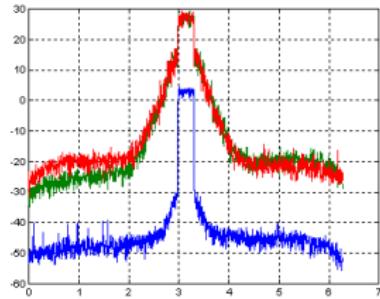
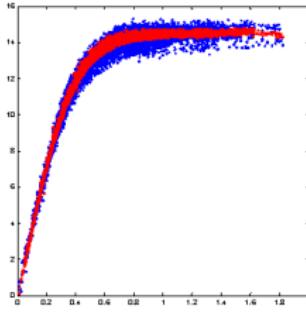
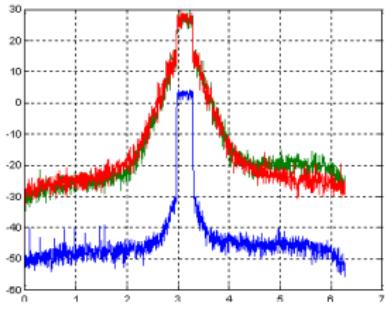
Orthogonal Polynomial

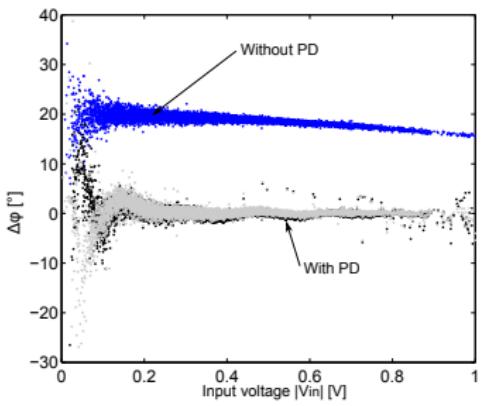
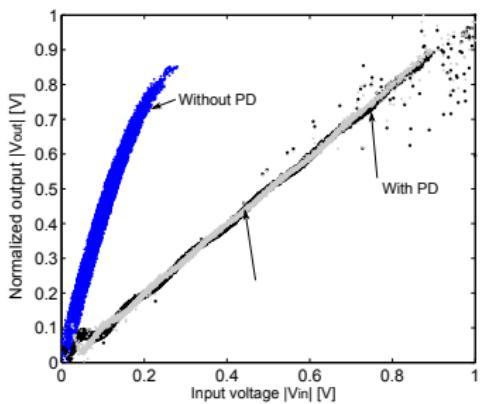
Polynomial level = 15, OFDM (64 carriers, 2400 Data bits, 16QAM), Saleh PA



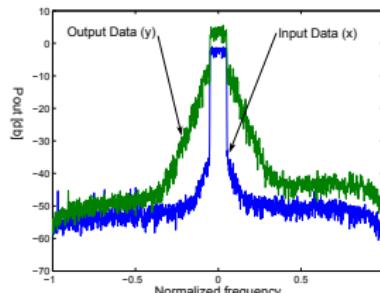
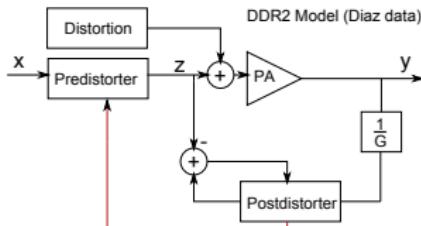
Results for different methods III

DDR second-order (real data class AB PA working at 1.455 GHz, Motorola MRFC1818 GaAs MESFET)

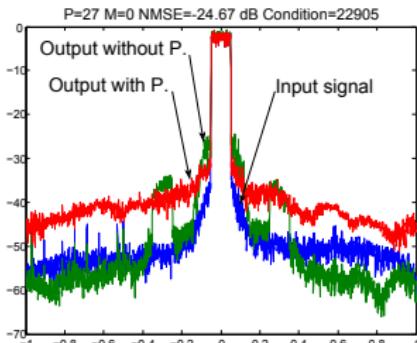




Adaptive system - with distortion



Normalized mean square error for modeling the PA is -33 dB.



$$ACPR_L = -33.6789[\text{dB}]$$
$$ACPR_R = -33.8989[\text{dB}]$$
$$Distortion(t) = 0.01 x(t) \sin(0.3 \pi t)$$

Available predistortion boards on the market



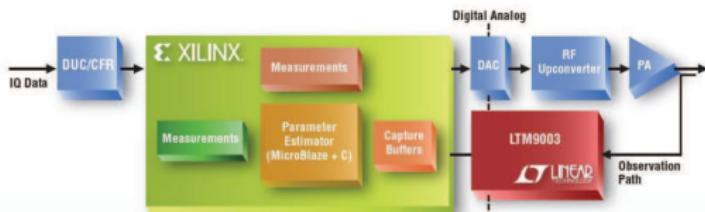
LTM9003

Bandwidth: Claim 60MHz, but in the notes there is written **20 MHz – with Spartan-6**

Bandpass filter 184MHz Center,
125MHz Bandwidth

Pinmax=1591mW

Multiple Memory Correction Models



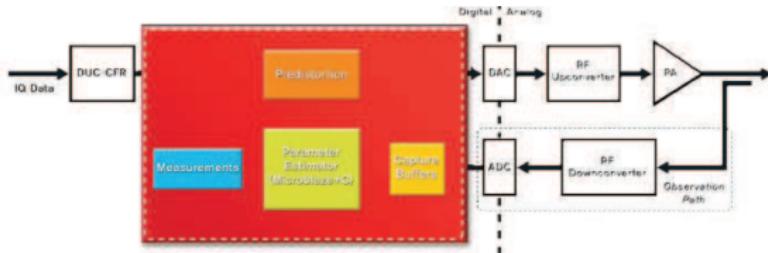
Available predistortion boards on the market



DPD v2.0

Bandwidth: 15MHz+ Virtex-4 FPGA, 20MHz+ Memory and reactive models
Virtex-5 (but up to 20MHz+)

Pinmax=1200mW



Available predistortion boards on the market



SC1889

Bandwidth of Input signal: up to 60MHz
Operational BW: 698-2800MHz

Pinmax=450mW

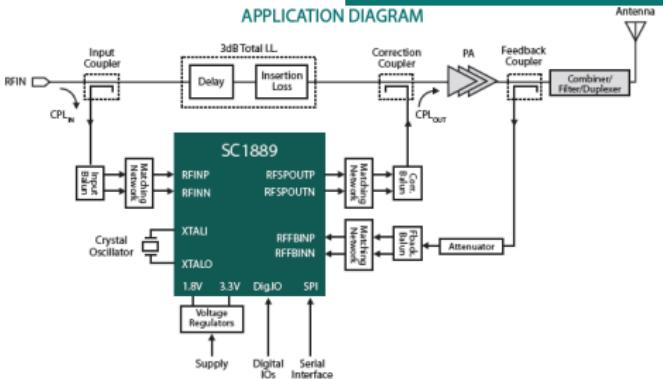
Memory models

DEVELOPMENT TOOLS

PRODUCT
P/N: SC1889-EVK900
P/N: SC1889-EVK1500
P/N: SC1889-EVK1900
P/N: SC1889-EVK2200
P/N: SC-USB-SPI

DESCRIPTION
Evaluation Kit: 698 MHz – 960 MHz
Evaluation Kit: 1400 MHz – 1800 MHz
Evaluation Kit: 1800 MHz – 2200 MHz
Evaluation Kit: 2100 MHz – 2800 MHz
SPI-USB Interface/Controller

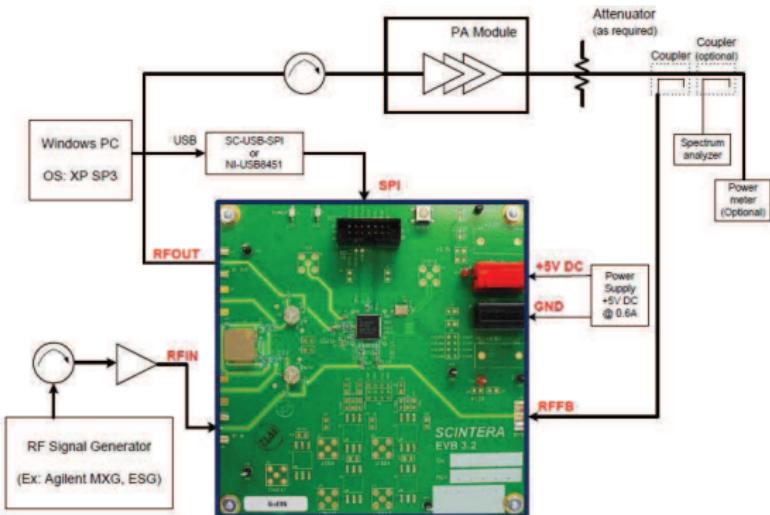
APPLICATION DIAGRAM



Available predistortion boards on the market



SC1889-EVK



Available predistortion boards on the market

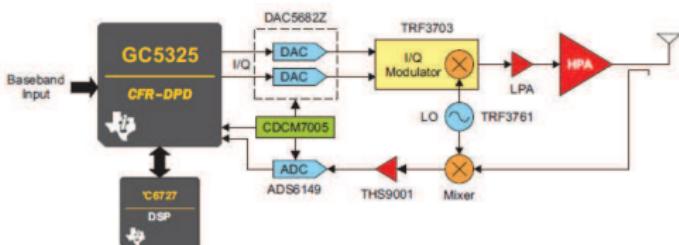


GC5325

Up to 20-MHz Combined Signal Bandwidth

DPD: Memory Compensation

Transmit- and Feedback-Channel Equalizers



Available predistortion boards on the market



GC5325EVM

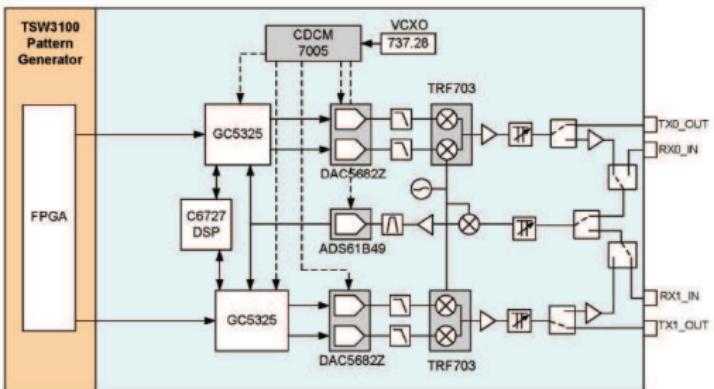
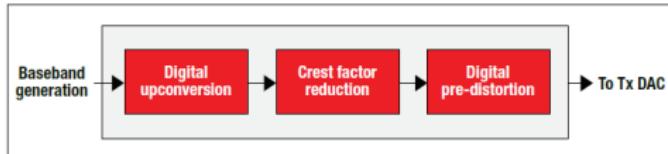
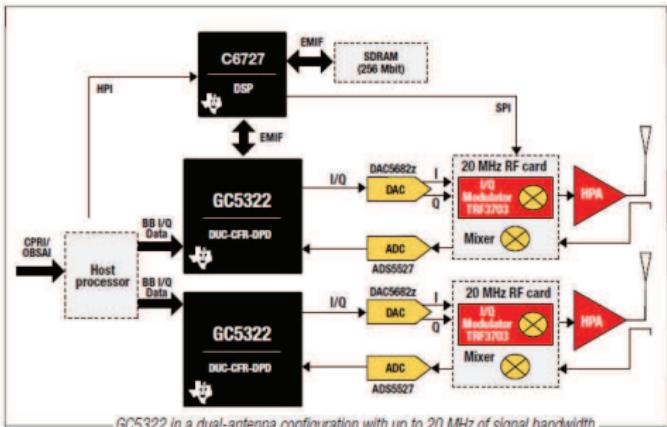


Figure 1. GC5325EVM Block Diagram

Available predistortion boards on the market



Up to 40-MHz Signal Bandwidth

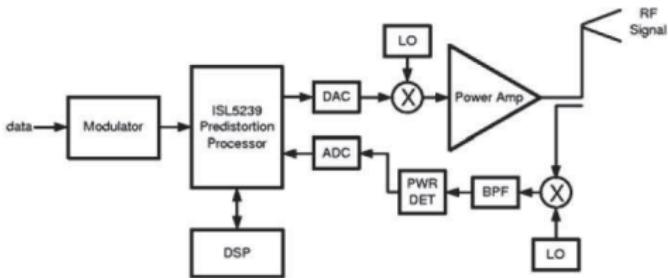


Available predistortion boards on the market



ISL5239

Up to 20-MHz Combined Signal Bandwidth
Memory effects compensation



Available predistortion boards on the market

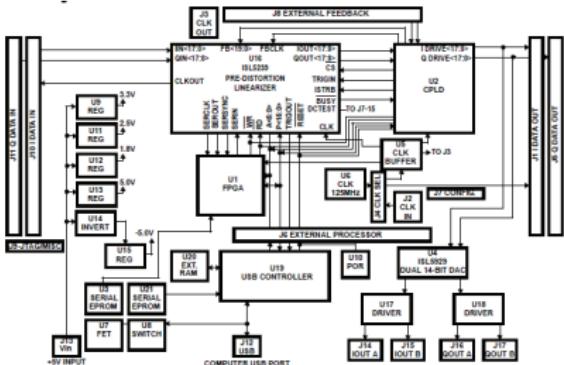


ISL5239EVAL1

Up to 20-MHz Combined Signal Bandwidth

Memory effects compensation

Matlab utility programs have been developed and are available to aid in characterizing the Power Amplifier (PA) and to facilitate programming the device Look-Up Table(s).



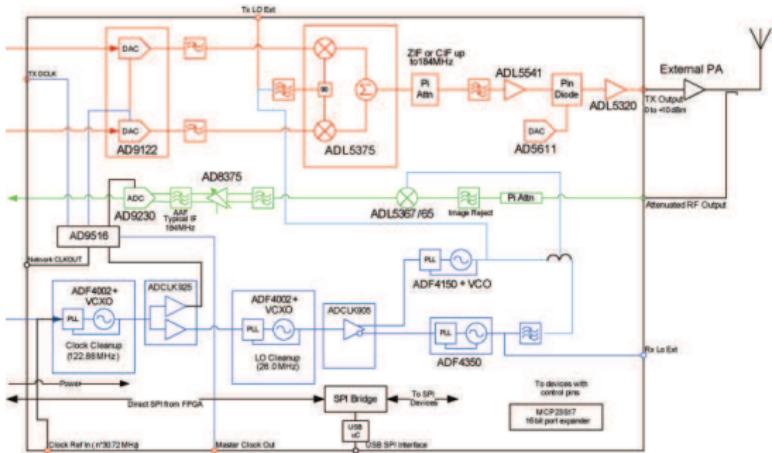
Available predistortion boards on the market



AD-MSDPD-EVB

Signal Bandwidth 122.88MHz ??

FPGA or DSP with implemented algorithm need to be connected



Available predistortion boards on the market



First industrial solution

Signal Bandwidth 10MHz - PM7800

Signal Bandwidth 15MHz - PM7815

Signal Bandwidth 20MHz - PM7820

Memory ????

PM7800 PALADIN 10

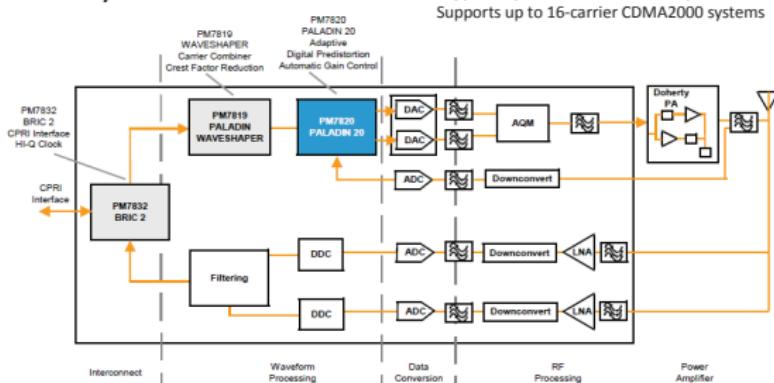
PM7815 PALADIN 15

PM7815 PALADIN 20

Supports macro BTS, micro BTS, and RRH architectures

Supports up to 4-carrier WCDMA systems

Supports up to 16-carrier CDMA2000 systems



Thank you for your attention.

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